

#### AlignMixup: Improving Representations By Interpolating Aligned Features



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## Mixup improves generalization

• Interpolates between pairs of examples (input/feature) and its target labels.



[1.0, 0.0] cat dog



[0.0, 1.0] cat dog



[0.7, 0.3] cat dog

 $\lambda \sim \text{Beta}(\alpha, \alpha)$ mix<sub> $\lambda$ </sub>(a, b) =  $\lambda a + (1 - \lambda)b'$ 

## Mixup improves generalization

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 $\lambda \sim \text{Beta}(\alpha, \alpha)$ mix<sub> $\lambda$ </sub>(a, b) =  $\lambda a + (1 - \lambda)b'$ 

• Flattens class representations, reduces overconfident incorrect predictions, and smoothens decision boundaries.



[1.0, 0.0] cat dog



[0.0, 1.0] cat dog



[0.7, 0.3] cat dog



[Zhang et al., ICLR 2018; Verma et al., ICML 2018]

#### Existing mixup methods

#### Co-Mixup



interpolates between the best combination of salient regions.

optimization is computationally expensive.

#### SaliencyMix



interpolates between an image patch computed using saliency with the target image.

> images are unnatural and an overlay of one image onto another

What is a good interpolation of images?

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AlignMixup

### AlignMixup: natural way of interpolation using deformation

- MOTIVATION Deformation a natural way of interpolating images, one image may deform into another, in a continuous way.
- Interpolated points that smoothly traverse the underlying manifold, capture salient characteristics.



source

target

#### AlignMixup: interpolating aligned features

- Investigate geometric alignment for mixup, based on semantic correspondences in the feature space.
- Aligning features results in learning invariances [Choy et al., NIPS 2016].

• Deform objects across classes essentially populating the feature space between manifolds.

#### AlignMixup: interpolating aligned features



 $\mathbf{A} \coloneqq F(x)$ 

 $L_c$  is cross entropy loss



 $\mathbf{A} \coloneqq F(x); \mathbf{A}' \coloneqq F(x')$ 





$$P^* = argmin_P \langle P, M \rangle - \epsilon H(P)$$

*M* is cost matrix  $H(P) = -\sum_{i,j} p_{ij} \log p_{ij} \text{ is entropy of } P$ 



 $R = rP^*$ 

 $r = h \times w$  of feature A(A')



AlignMixup: interpolating aligned feature tensors



 $\operatorname{mix}_{\lambda}(\mathbf{A}, \widetilde{\mathbf{A}}) = \lambda \mathbf{A} + (1 - \lambda) \widetilde{\mathbf{A}}$  $\operatorname{mix}_{\lambda}(\mathbf{A}', \widetilde{\mathbf{A}}') = \lambda \mathbf{A}' + (1 - \lambda) \widetilde{\mathbf{A}}'$ 

AlignMixup: visualizing alignment



#### $\operatorname{mix}_{\lambda} (\mathbf{A}, \mathbf{A}') = \lambda \mathbf{A} + (\mathbf{1} - \lambda) \mathbf{A}'$

[images only for visualization; not used for training]

AlignMixup: visualizing alignment



$$mix_{\lambda}(\mathbf{A}, \widetilde{\mathbf{A}}) = \lambda \mathbf{A} + (1 - \lambda) \widetilde{\mathbf{A}}$$
$$mix_{\lambda}(\mathbf{A}', \widetilde{\mathbf{A}}') = \lambda \mathbf{A}' + (1 - \lambda) \widetilde{\mathbf{A}}'$$

[images only for visualization; not used for training]

#### Image Classification



[additional results in the paper]

#### Weakly-Supervised Object Localization

Input Mixup

CutMix



AlignMixup





[additional results in the paper]

# See you on 24<sup>th</sup> June - Poster session 4.2!!

